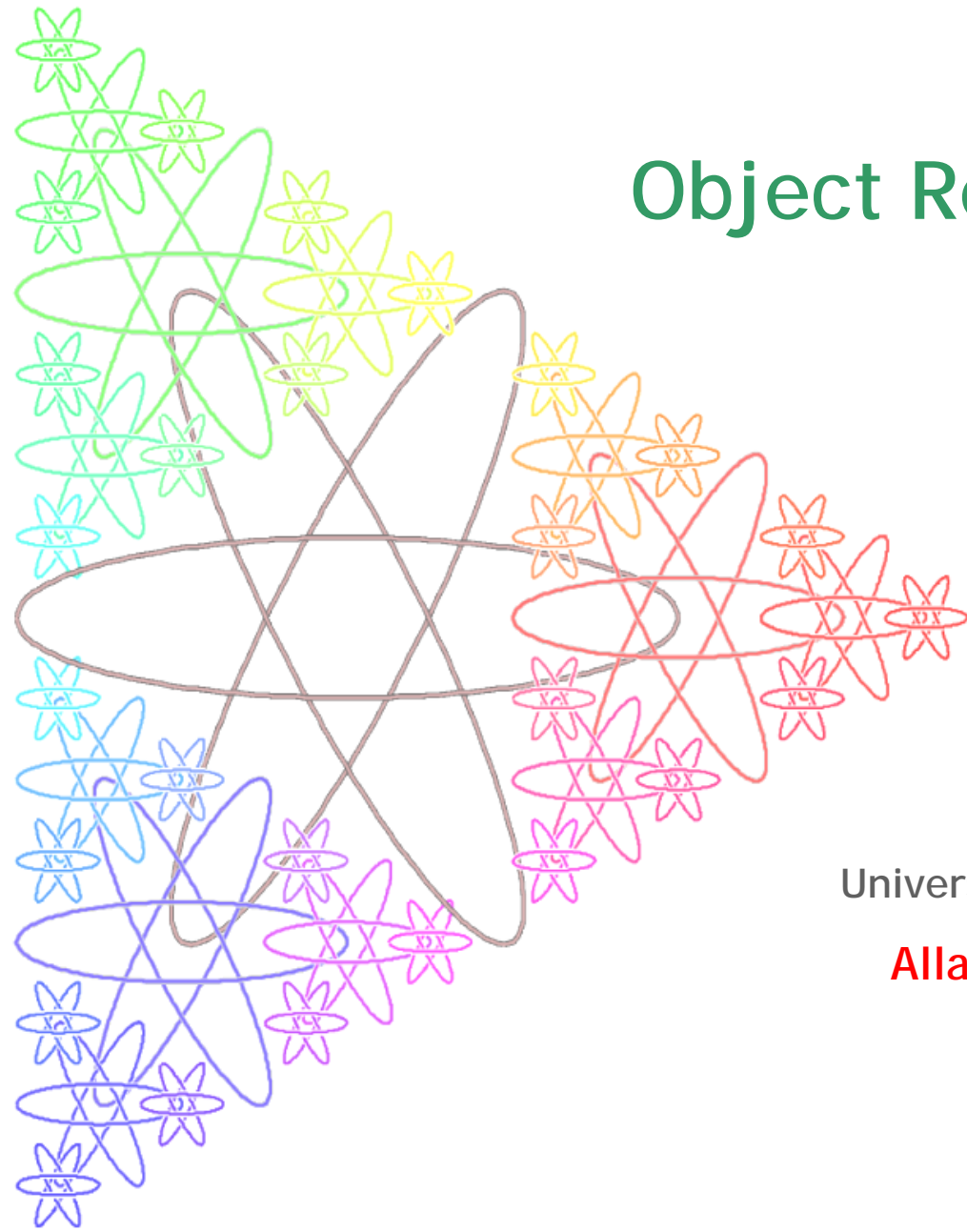


# Object Recognition Showcase



**Nicu Sebe**

University of Amsterdam, The Netherlands

**Allan Hanbury, Julian Stoettinger**

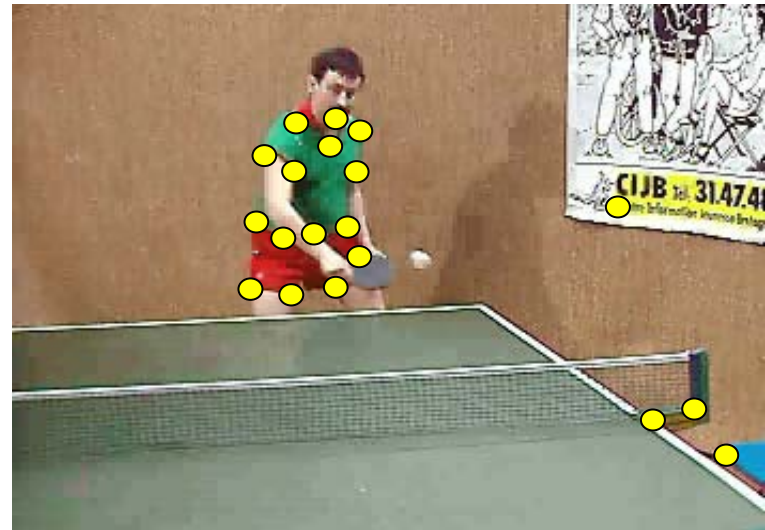
TU Wien - PRIP

**Jaume Amores**

INRIA - IMEDIA



# Salient Points

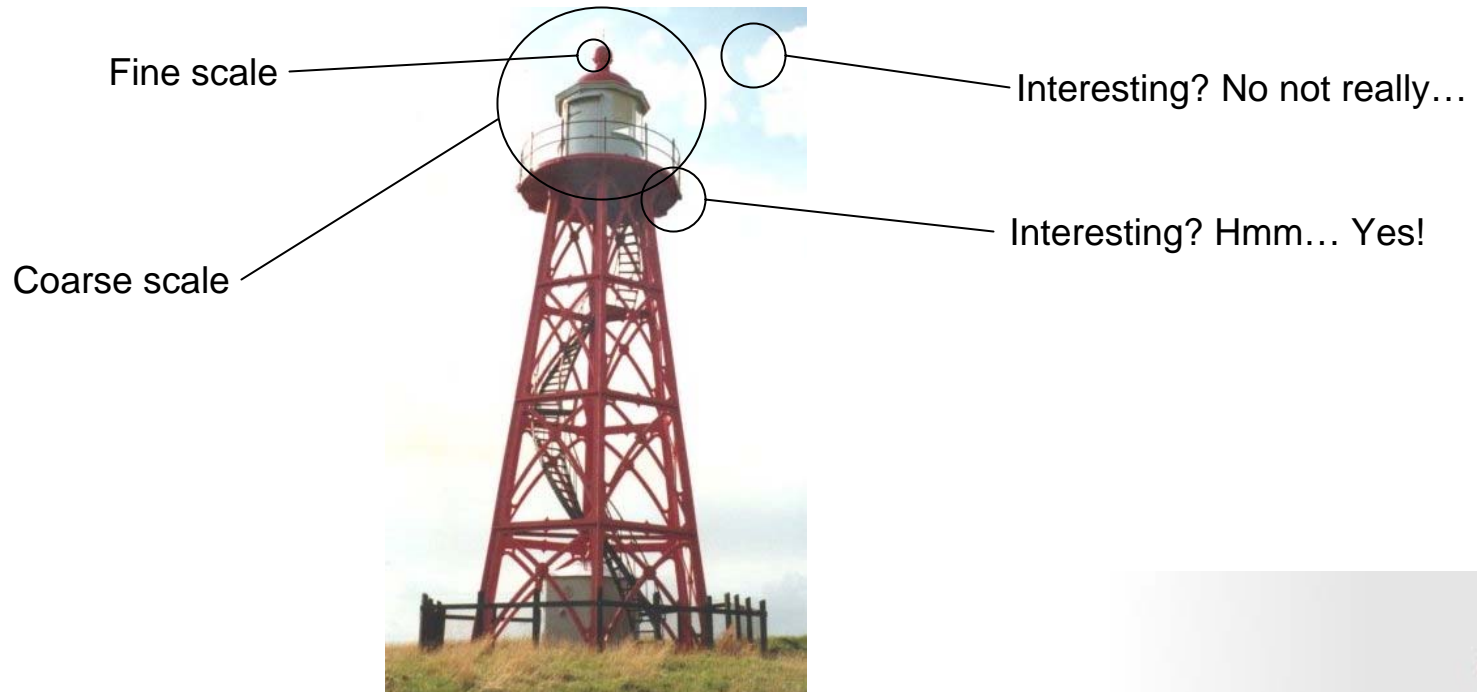


lumbar base points



## Salient Points

- Capture visual “interesting” parts of an image
- All points should summarize the image content
  - Multiple scales: coarse ... fine



# Salient Points - Usage

- Matching them!
  - Compare detected salient points
    - Detect points in different images
    - Describe these points and compare using a similarity measure
    - Derive relations between images:
      - i.e.: Same scene with different viewpoint; common object(s); etc.
- For example:
  - Object recognition
    - Different scales: Hierarchical object model
  - Object tracking
  - Content Based Image Retrieval (CBIR)



## Existing Research

- Finding visual “interesting” points is not easy

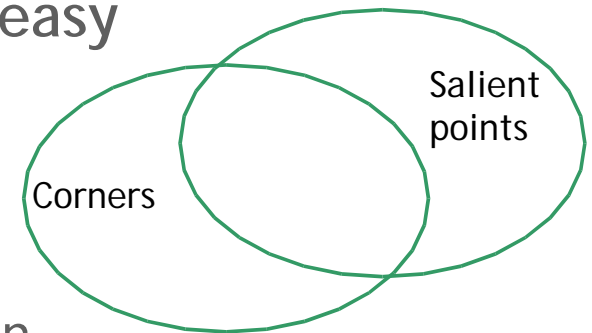
- Mathematical definition?

- Local Image Descriptors

- Harris [Harris88], Multi-scale point detection [Mikolajczyk01], Local gray value invariants [Schmid97], Edge-based region detector [Tuytelaars04], SUSAN [Smith97], Wavelets [Sebe 03], etc.

- Local Region Descriptors

- SIFT [Lowe04], shape context [Belongie02], moment invariants [Gool96], N-jet [Koenderink87], etc.



## Existing Research - Issues

- Images are mostly color
  - Why are the existing salient point techniques luminance-based?
  - They typically focus on shape saliency rather than color saliency
  - They cannot distinguish between black-and-white corners (low salient) and red-green corners (high-salient)
- Few existing salient point algorithms that use color  
[Montesions98][Itti98][Heidenman04]
  - Their results do not differ greatly from the intensity-based methods
  - Difficulties in combining the information available from the color channels
  - Many possible color spaces



# Research - Affine invariance

- Detect regions under common transformations

- Translation
- Rotation
- Scaling
- Viewpoint

Affine invariance !

Viewpoint 1



Viewpoint 2



Related by rotation

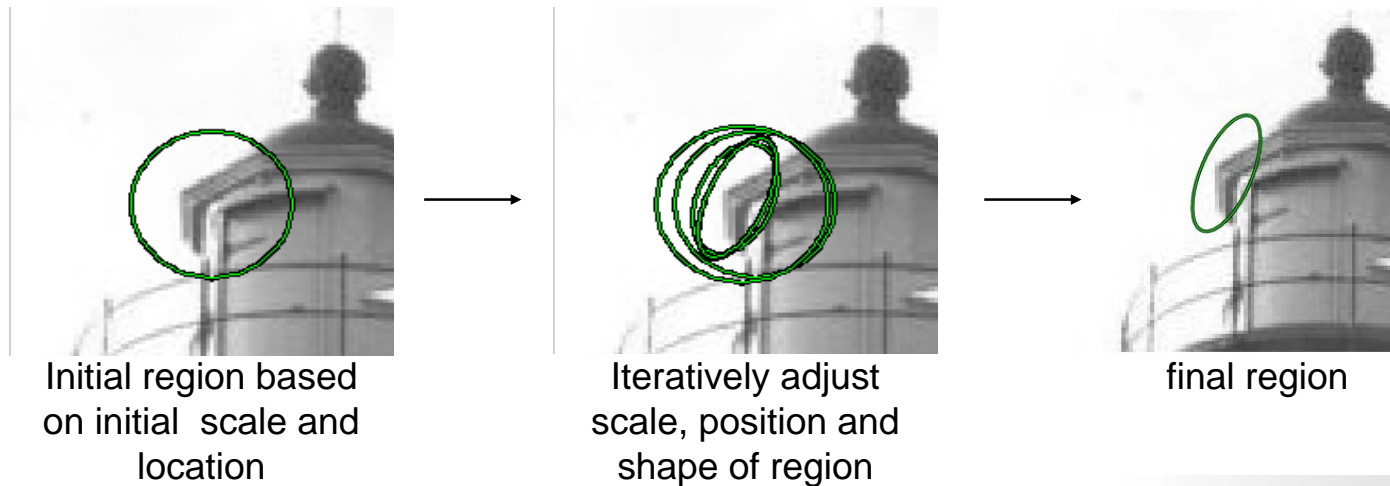
Detected regions

Normalized detected regions



# Research - Framework

- Existing method by Mikolajczyk
  - Iterative affine invariant point detector
    - Multi-scale Harris corner detector
    - Laplacian characteristic scale selection
    - Second moment matrix shape determination

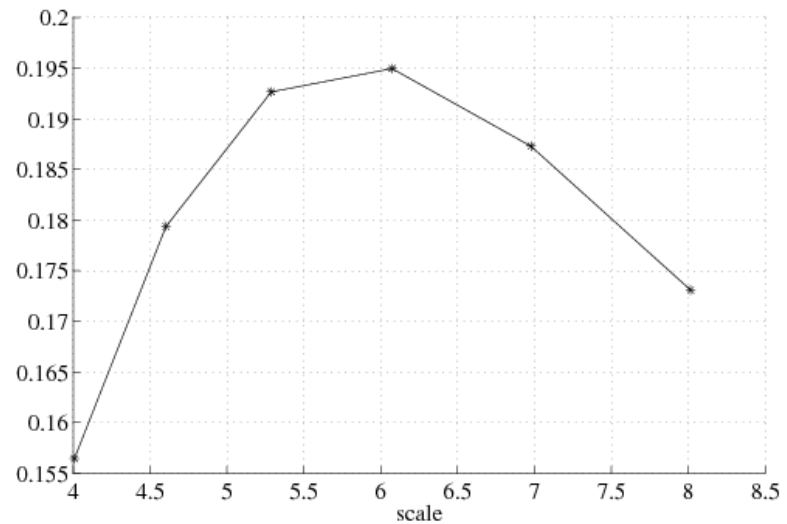
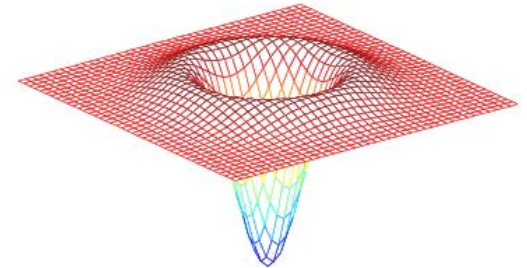
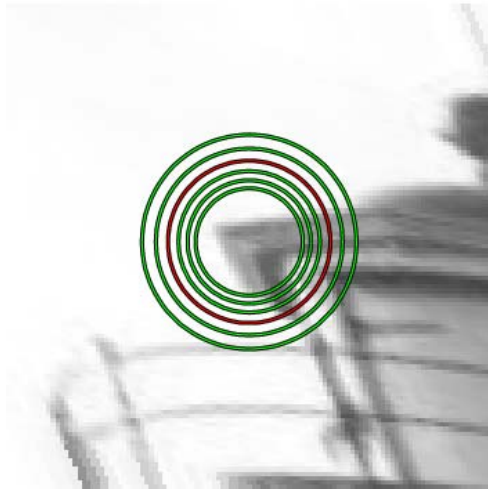




# Research - Framework

- Characteristic scale

- Convolve with multiple Laplacian of Gaussian kernels: scale trace.
- Select maximum



# Research - Framework

- Affine deformation

- Second moment matrix

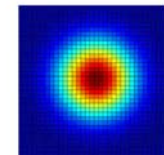
$$\mu(\mathbf{x}, \sigma_I, \sigma_D) = \begin{bmatrix} \mu_{11} & \mu_{12} \\ \mu_{21} & \mu_{22} \end{bmatrix} = \sigma_D^2 g(\sigma_I) \cdot \begin{bmatrix} L_x^2(\mathbf{x}, \sigma_D) & L_x L_y(\mathbf{x}, \sigma_D) \\ L_x L_y(\mathbf{x}, \sigma_D) & L_y^2(\mathbf{x}, \sigma_D) \end{bmatrix}$$

- Suppress noise without suppressing the anisotropic shape of a structure.
    - Eigenvalues represent two principal curvatures of a point: shape normalization!
    - Calculated using (affine) Gaussian kernels

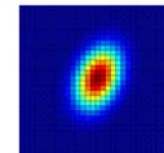
- Affine invariance

- Detect regions that comply to:

$$\begin{aligned} \mu(\mathbf{x}, \Sigma_I, \Sigma_D) &= M \\ \Sigma_I &= \sigma_I M^{-1} \\ \Sigma_D &= \sigma_D M^{-1} \end{aligned}$$



Uniform  
kernel



Affine  
kernel



## Color-based salient points

- Color Harris (Weijer04)
  - Extend calculation of second moment matrix to color
    - Sum gradients of the channels



color-based points?  
luminance-based points

What's the problem?



## Evaluation Criteria [Schmid98]

- Repeatability
  - Salient point detection should be stable under varying viewing conditions
- Distinctiveness
  - Salient points should focus on events with a low probability of occurrence

**Idea: Incorporate color distinctiveness into the design of salient point detectors!!!!!!**



## Color-based salient points

- The efficiency of the salient point detection depends on distinctiveness of the extracted points
- At the salient points' positions, local neighborhoods are extracted and described by local image descriptors
- The distinctiveness of a descriptor describes the conciseness of the representation and the discriminative power of the salient points
- The distinctiveness is measured from the information content
- the information content of an event,  $v$ , is equal to :

$$I(v) = -\log(p(v))$$



## Color-based salient points

- For luminance-based descriptors the information content is measured by the local two-jet of the local structure [Schmid00]
- Due to extra information available in color images, the local one-jet is sufficient

$$v = (R \quad G \quad B \quad R_x \quad G_x \quad B_x \quad R_y \quad G_y \quad B_y)$$

- Assuming independent probabilities of the 0<sup>th</sup> order signal and the 1<sup>st</sup> derivatives, the information content is:

$$I(v) = -\log(p(v)) = -\log(p(\mathbf{f})p(\mathbf{f}_x)p(\mathbf{f}_y)) \quad \mathbf{f} = (R, G, B)$$

- By adapting the saliency map to focus on rare color derivatives, the color distinctiveness of the detector is improved!!!!



# Color-based salient points

## Saliency boosting

- Image derivatives that occur equally often should contribute equally to the saliency measure
- Vectors with equal information content should have equal influence on the saliency map
- Find a transformation  $g$  for which it holds:

$$\textit{Color Boosting Saliency: } p(\mathbf{f}_x) = p(\mathbf{f}'_x) \leftrightarrow |g(\mathbf{f}_x)| = |g(\mathbf{f}'_x)|$$



# Color-based salient points

## Invariance $\Leftrightarrow$ distinctiveness

- The channels of  $f_x$  are correlated!!! Shadows, shading, and specularities will have a great influence
- There is a need to use different color spaces which will eliminate the influence of these perturbations

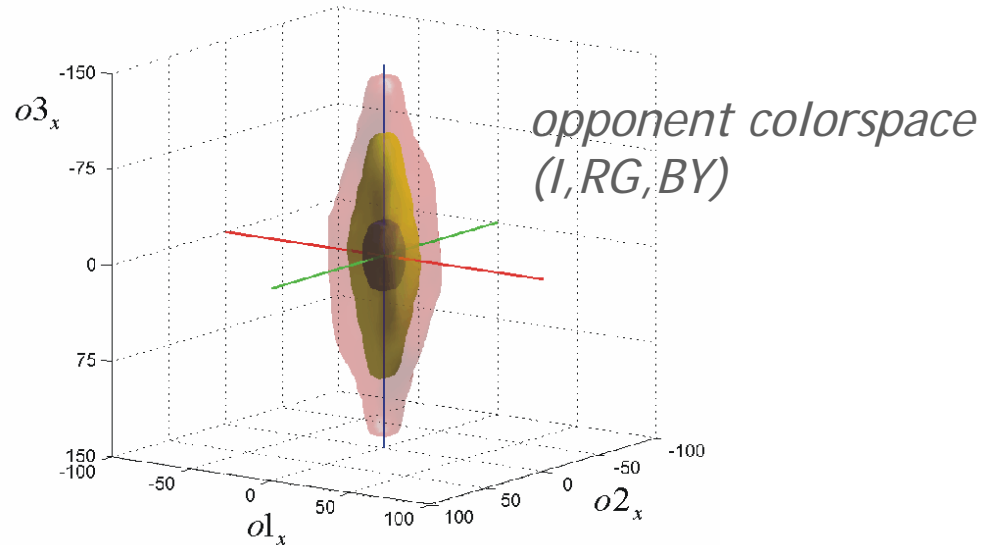
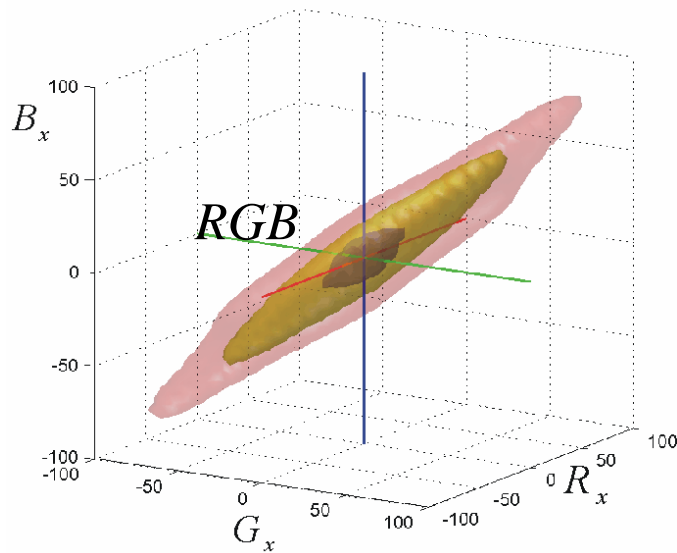
	shadows	shading	highlights	ill. intensity	ill. Colour
I	-	-	-	-	-
RGB	-	-	-	-	-
rgb	+	+	-	+	-
Ratios	+	+	-	+	+





# Statistics of color images

- The statistics of  $\mathbf{f}_x$  are computed by looking at the 40.000 images of the Corel database.

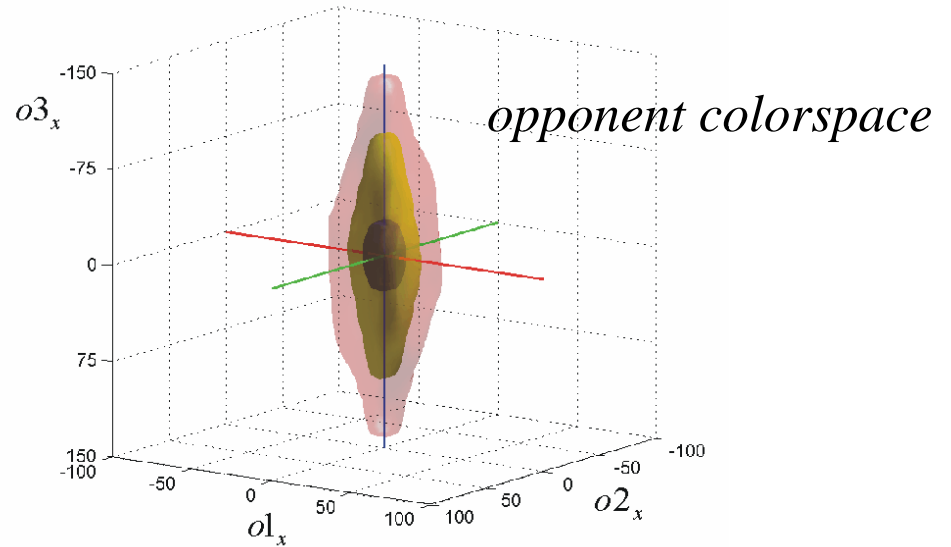
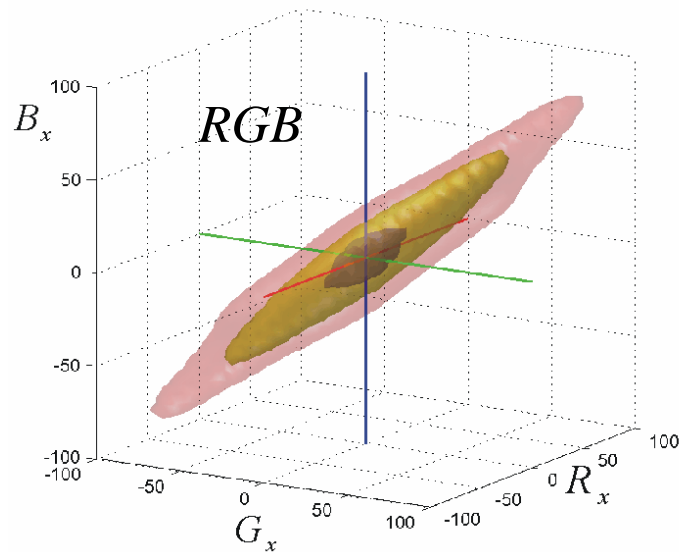


- Isosalient surfaces can be approximated by aligned ellipsoids in decorrelated color spaces.



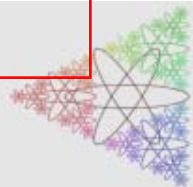
# Statistics of color images

*Color Boosting Saliency:*  $p(\mathbf{f}_x) = p(\mathbf{f}'_x) \leftrightarrow |g(\mathbf{f}_x)| = |g(\mathbf{f}'_x)|$



*Color Boosting function:*

$$g(\mathbf{f}_x) = \begin{pmatrix} \lambda_1 & 0 & 0 \\ 0 & \lambda_2 & 0 \\ 0 & 0 & \lambda_3 \end{pmatrix} h(\mathbf{f}_x)$$



## Statistics of color images

	spherical	opponent	HSI
$\lambda_1$	0.85	0.85	0.86
$\lambda_2$	0.52	0.52	0.51
$\lambda_3$	0.10	0.065	0.066

- Opponent color space was to perform best [vdWeijer04]
  - One of the components is still the intensity (although, with a very low weight, i.e., 0.065)
- Investigate a more invariant color space which has no intensity information anymore: color ratios
- The goal is to analyse the tradeoff between invariance and distinctiveness



## Color constancy: Color Ratios

$$m_1 = \frac{R^{x_1} G^{x_2}}{R^{x_2} G^{x_1}}, m_2 = \frac{R^{x_1} B^{x_2}}{R^{x_2} B^{x_1}}, m_3 = \frac{G^{x_1} B^{x_2}}{G^{x_2} B^{x_1}}$$

Taking the natural logarithm of both sides results for  $m_1$  in :

$$\ln m_1 = \ln \left( \frac{R^{x_1} G^{x_2}}{R^{x_2} G^{x_1}} \right) = \ln R^{x_1} + \ln G^{x_2} - \ln R^{x_2} - \ln G^{x_1} =$$

$$\ln R^{x_1} + \ln G^{x_2} - (\ln R^{x_2} + \ln G^{x_1}) =$$

$$\ln \left( \frac{R^{x_1}}{G^{x_1}} \right) - \ln \left( \frac{R^{x_2}}{G^{x_2}} \right) = \ln \left( \frac{R}{G} \right)^{x_1} - \ln \left( \frac{R}{G} \right)^{x_2} = \frac{\partial}{\partial x} \ln \left( \frac{R}{G} \right)$$



# Color constancy: Derivatives

Funt and Finlayson  
(Mondrian-world)

$$\begin{pmatrix} \frac{\partial}{\partial x} \ln R \\ \frac{\partial}{\partial x} \ln G \\ \frac{\partial}{\partial x} \ln B \end{pmatrix}$$

Gevers and Smeulders  
(3D world)

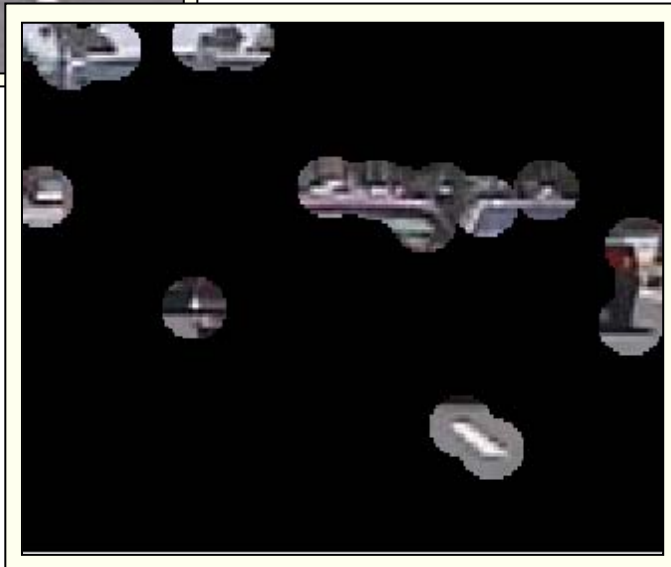
$$\begin{pmatrix} \frac{\partial}{\partial x} \ln \left( \frac{R}{G} \right) \\ \frac{\partial}{\partial x} \ln \left( \frac{R}{B} \right) \\ \frac{\partial}{\partial x} \ln \left( \frac{G}{B} \right) \end{pmatrix}$$



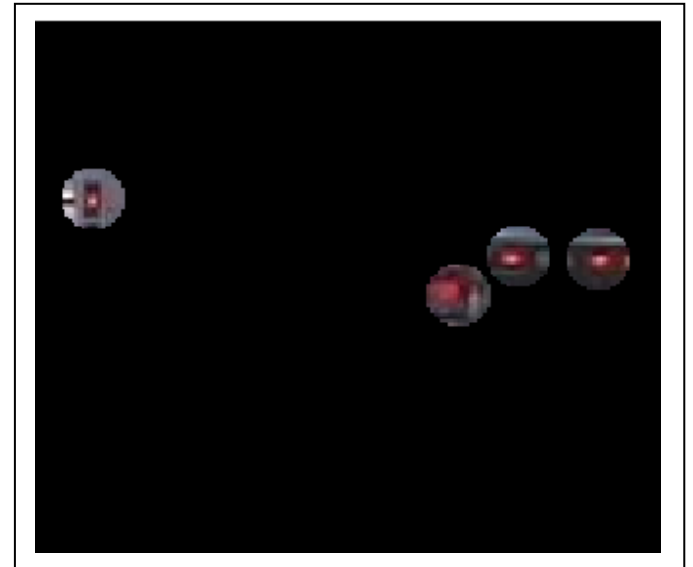
# Saliency boosted points



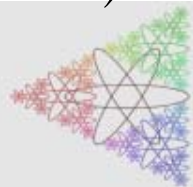
*input car-image*



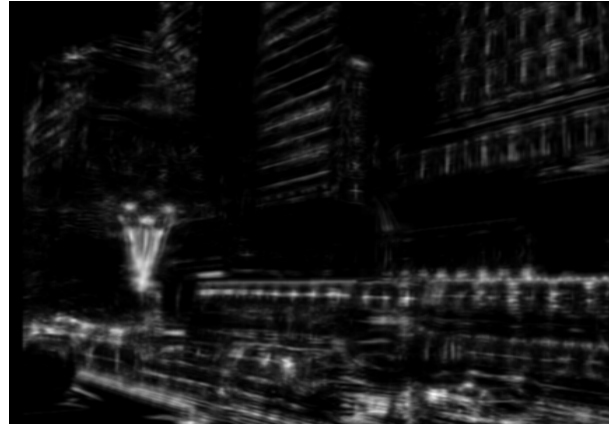
*RGB-based (first 20 points)*



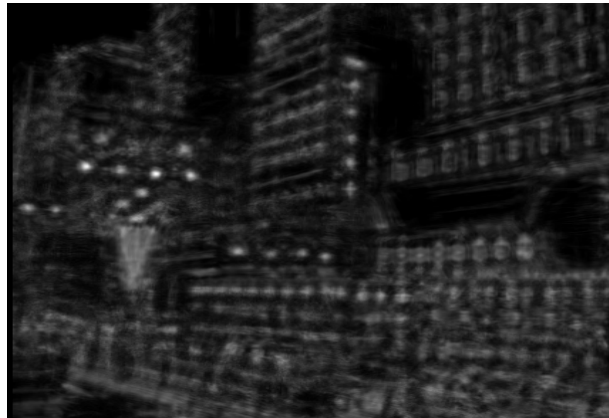
*saliency boosting (first 4 points)*



# Saliency boosted points



*RGB-based*



*saliency boosting*



## Research - Approach

- Use different corner detectors in the framework
  - Intensity: Harris, SUSAN
  - Color: 2 colorHarris variants (colOppHarris, colRatHarris)
- Evaluation
  - Repeatability under common transformations (invariance)
    - Test sets for different common variations in imaging conditions
      - Blur, Lighting, Rotation/Scaling, viewing angle, JPEG compression
  - Information content of the detected regions (distinctiveness)
    - Detect lots of regions, estimate entropy from them.
  - Complexity





# Intensity-based corner detectors

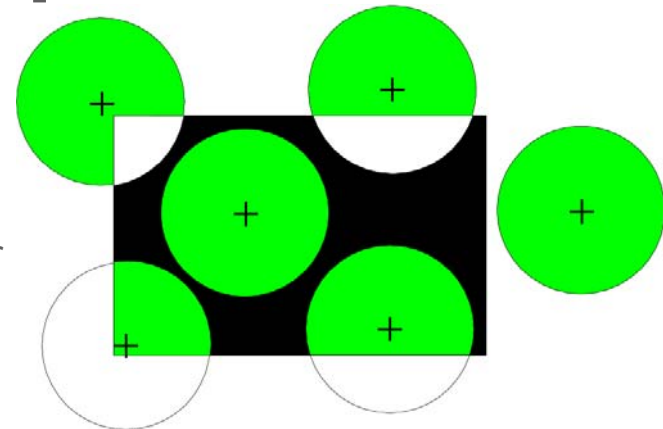
- Harris corner detector

- Second moment matrix (SMM) at certain scale
- Eigenvalues of SMM represent principal curvatures
  - Detect regions with high gradient in different directions

$$C_H(\mu) = \det(\mu) - \alpha \text{trace}^2(\mu)$$

- Discrete low-level corner detector [Smith 97]

- Fundamentally different from Harris detector
- Circular mask
- Determine the area of the mask with a similar value as the center
  - Derive cornerness measure from it



# Experimental results

- Repeatability

- For each common transformation a number of test sets
- Each test sets contains 6 images
  - Gradual increase of transformation between images
  - Related by homography to establish a ground truth
    - Detected regions are projected onto the first image of set
- Next: 4 test sets and repeatability results
  - Impression of overall performance

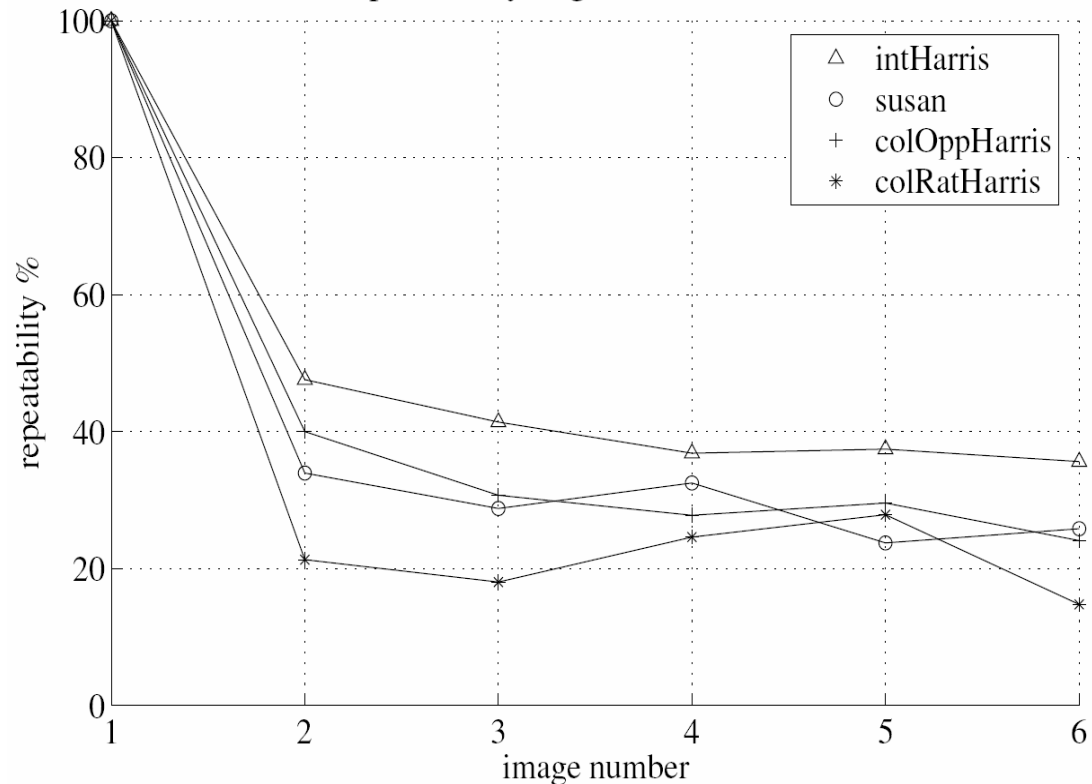




# Experimental results - Repeatability/light



Repeatability "light/leuven"





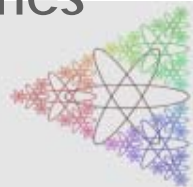


## Experimental results - Information content

- Distinctiveness of the regions detected
  - Create descriptors and estimate entropy

Detector	Entropy
intensity Harris	11.41
SUSAN	11.23
colOppHarris	13.41
colRatHarris	13.96
random	9.24

- Probability to produce a collision when matching is 7.4 times higher for intensity than for color.



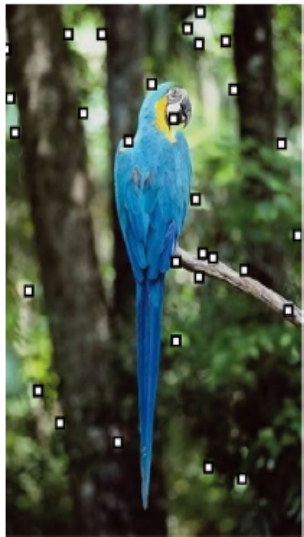
## Experimental results - Complexity

- Detection complexity
  - Intensity Harris and SUSAN approximately equal
  - colorHarris using  $n$  color channels
    - $n$  times more expensive compared to intensity only
- Matching complexity
  - colorHarris tends to need less regions to perform optimal
    - Lower matching complexity





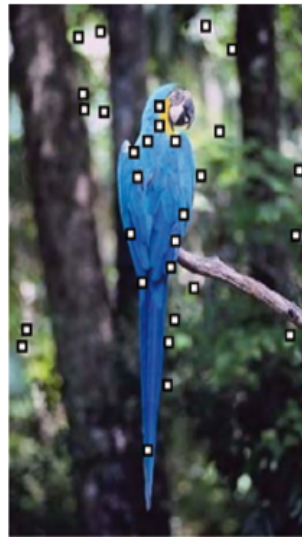
# Experimental results



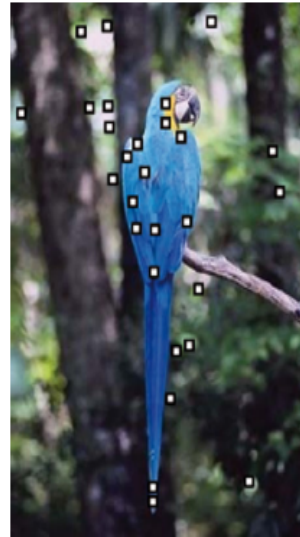
(a) *RGB*



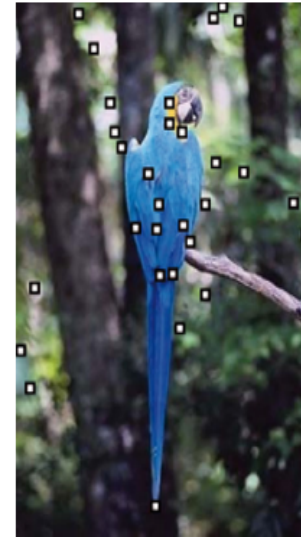
(b) *rgb*



(c) Spherical colour space



(d) *OCS*



(e) *HSI*



(f) colour boosted *OCS*



## Experimental results



(a) Illumination

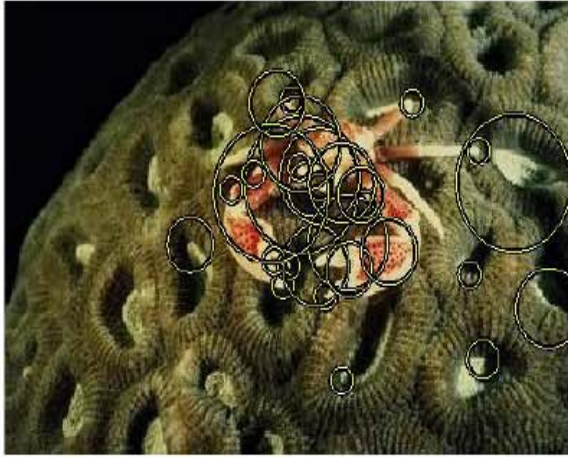
(b) HSI

**Figure 3:** 30 extracted regions based on luminance and HSI information with  $t = 1.2; s = 10; \sigma_I = 0.7$ . The regions shift towards colour differences, specular, and shading changes are not regarded anymore. The parrot is therefore highly prioritized.

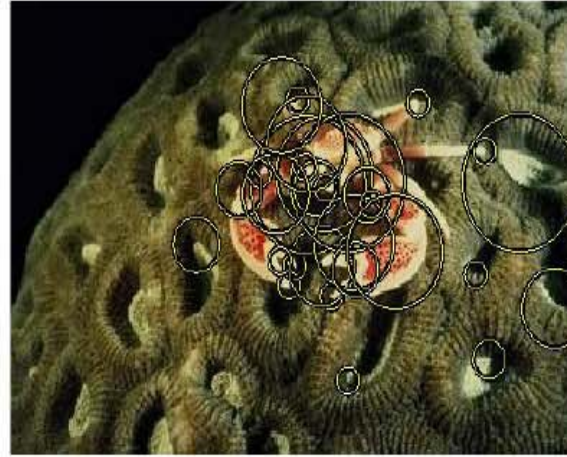




# Experimental results



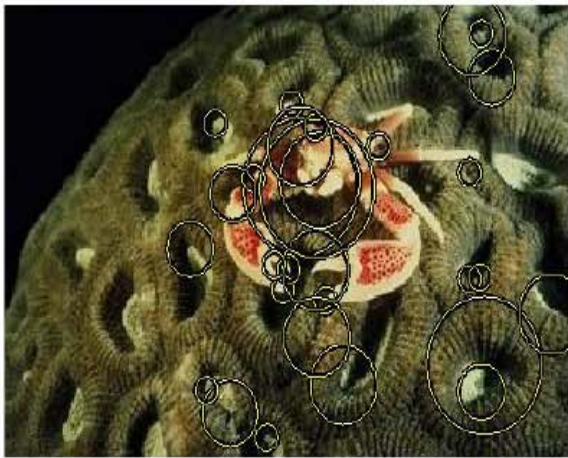
(a) Illumination



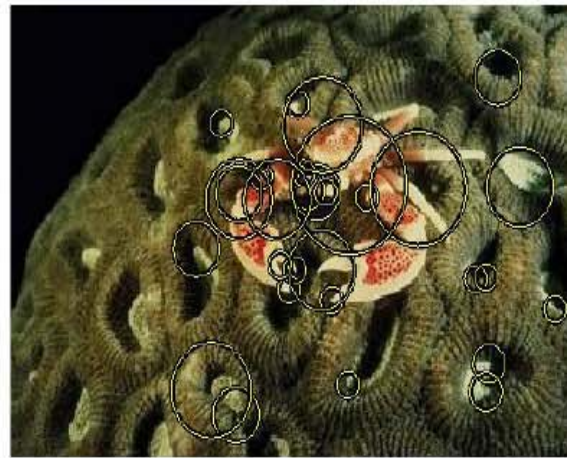
(b) RGB



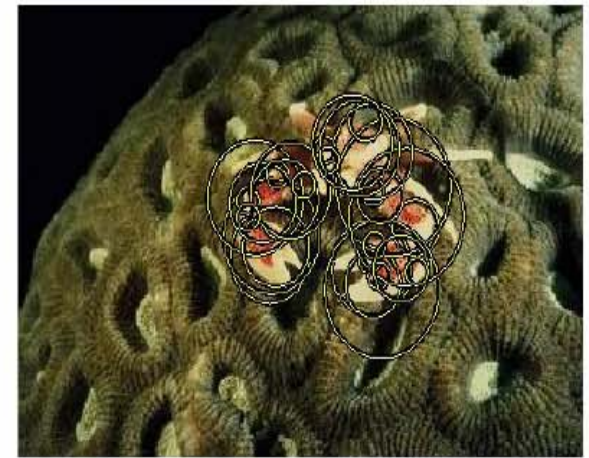
(c) rgb



(d) OCS



(e) colour boosted OCS



(f) Quasi invariant HSI



# What's Next? Using Context Information

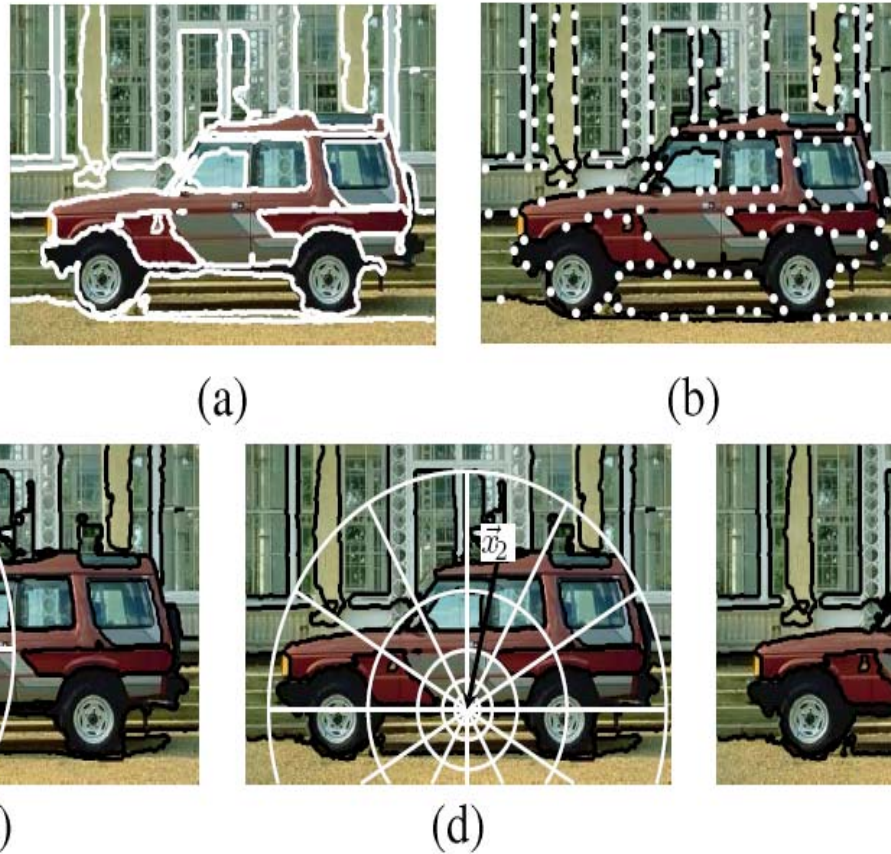
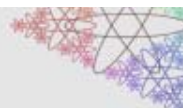


Fig. 1. (a) Dense cloud of points at contours of the image (in black). (b) Sampled set of points taken as reference (in white). (c)-(e) Log-polar spatial quantization of our descriptor given three different references  $\vec{x}_1$ ,  $\vec{x}_2$ ,  $\vec{x}_3$ . The image representation is a set of descriptors, one for each reference point  $\vec{x}_i$



# What's Next? Using Context Information

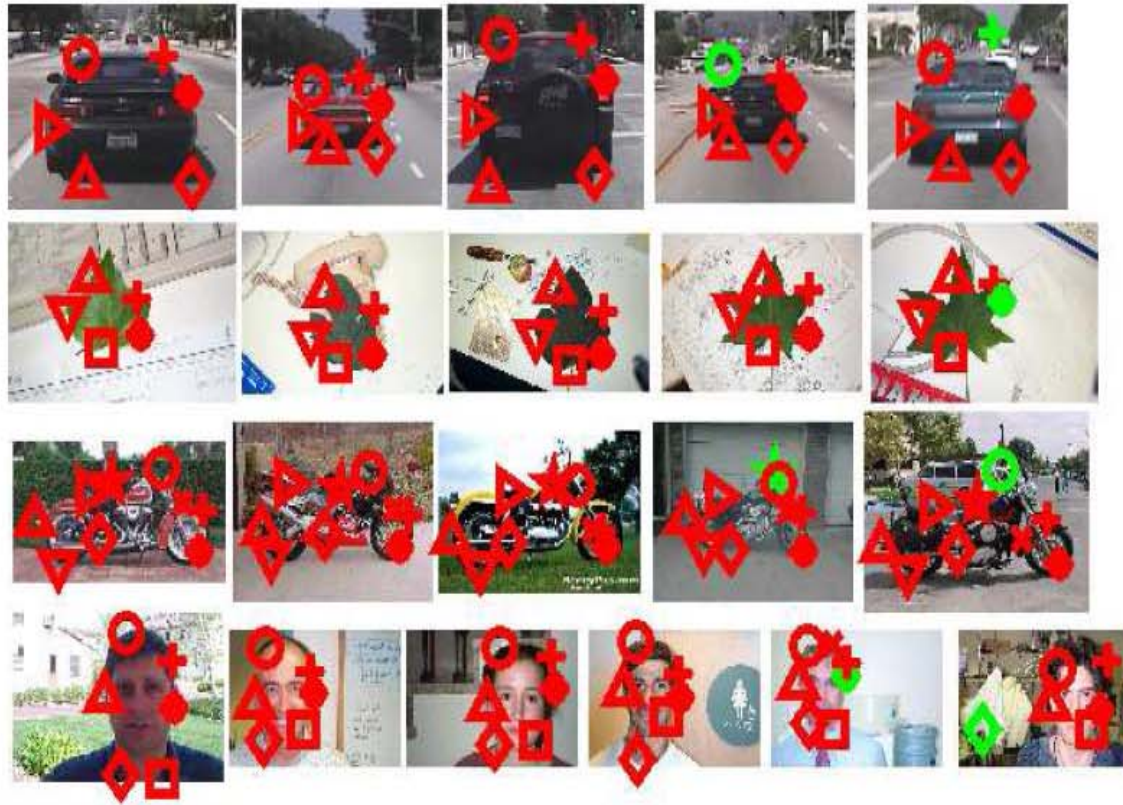


Fig. 5. Matching model parts across images. Different parts are shown with different symbols, where we sampled a few matchings for clarity.



## Publications

- Context-based object class recognition and retrieval by generalized correlograms
  - J. Amores, P. Radeva, N. Sebe, IEEE Trans. PAMI (to appear)
- Color interest points for image retrieval
  - J. Stottinger, N. Sebe, A. Hanbury, T. Gevers, Computer Vision Winter Workshop, Feb 2007
- Do color interest points help image retrieval?
  - J. Stottinger, N. Sebe, A. Hanbury, T. Gevers, submitted to ICIP
- Object retrieval and recognition with color interest points
  - J. Stottinger, N. Sebe, A. Hanbury, T. Gevers, submitted to ICCV

